

Two Degrees of Freedom Controller for Load Frequency Control with Communication Delay using Hybrid Strategy

Ashu Ahuja¹

Electrical Engineering Department
MMEC,
Mullana, India
ashu.valecha.ahuja@gmail.com

Shiv Narayan²

Electrical Engineering Department
PEC University of Technology
Chandigarh, India
shivnarayan@pec.ac.in

Jagdish Kumar³

Electrical Engineering Department
PEC University of Technology
Chandigarh, India
Jagdishkumar@pec.ac.in

Abstract— Two degrees of freedom controller is designed for two area load frequency control system with communication delay. The communication delay complicates the design and implementation of the controller to achieve robust performance of the system. The conventional PI controller is used for command tracking whose parameters are tuned using Genetic Algorithm (GA) and a state feedback controller is designed using linear matrix inequality (LMI). A unified Smith predictor (USP) approach is used to convert delayed plant to an augmented plant and LMI based state feedback controller is designed for augmented plant. Despite of delay stable dynamic performance is ensured using above hybrid strategy of GA-LMI.

Keywords- Communication delay, unified Smith predictor, linear matrix inequality, Genetic Algorithm, load frequency control.

I. INTRODUCTION

Load frequency control with integral controller achieves good tracking with zero steady state error and a fast dynamic response but if a disturbance of increase in load occurs in the control area then it provides no control over the relative loading of various generating stations [1]. So, independent control is required and two degrees of freedom control is proposed. Moreover, if two or more areas are connected via tie lines, time delay is introduced due to communication network. Many controllers were introduced by various authors to control change in frequency – proportional and integral (PI) controller, proportional-integral and derivative (PID) controller [2-10], Fractional order PID (FOPID) controller [11], decentralized controller [12-15], artificial neural network (ANN) controller [16], fuzzy logic controller [17-19], neuro-fuzzy controller [20], LQR controller [21], internal model control scheme (IMC) [22-23]. The second issue of time delay is very significant as it complicates the design and implementation of the controller and also it creates instability in the system. To deal with time delay, authors used PI controller, converted the problem to state output feedback control and solved it using Linear Matrix Inequalities (LMI) [24-27]. The Smith predictor (SP) is an effective method to compensate delay [28-30]. But, SP can only be applied to known stable systems. Traditional SP gives poor robustness. To improve robustness, many authors came with many modifications in SP [31-33]. In modified Smith predictor (MSP), the delay term e^{-Ah} is non-computable for systems having fast stable eigen values. In this paper, USP [34] is considered which overcome the above mentioned problems. USP is very effective in designing the controller as it combines the advantageous features of both the SP and MSP. Time delayed two area LFC model with PI controller is converted to augmented plant using USP and a state feedback controller is designed using LMI. The integral parameter of PI controller is tuned using GA.

This paper is organized as follows: Section 2 represents two area LFC model with time delay. USP approach is explained in section 3. Section 4 presents H_∞ controller in LMI approach.

Simulation results using optimization are presented in section 5 and section 6 concludes the paper.

II. TWO AREA LFC PLANT

Extended power system can be divided into number of load frequency control areas interconnected via tie lines [1]. To understand the concept of communication delay, two area load frequency control (LFC) model [1] is modified to include delays introduced from communication networks. Fig. 1 describes two area LFC model connected by a single tie line. Each area has an equivalent governor and turbo generator. w_1 and w_2 are load demand inputs and Δf_1 and Δf_2 are frequency deviations. Notations with suffix 1 represent area 1 and with suffix 2 represent area 2. The symbols represented by state variables and other variables in Fig. 1 are given in table 1. The dynamics of the models are represented by (1) to (9).

$$\dot{x}_1(t) = -\frac{1}{T_{p1}}x_1(t) + \frac{K_{p1}}{T_{p1}}x_2(t) - \frac{K_{p1}}{T_{p1}}x_5(t) - \frac{K_{p1}}{T_{p1}}w_1(t) \quad (1)$$

$$\dot{x}_2(t) = -\frac{1}{T_{ch1}}x_2(t) + \frac{1}{T_{ch2}}x_3(t) \quad (2)$$

$$\dot{x}_3(t) = -\frac{1}{R_1T_{g1}}x_1(t) - \frac{1}{T_{g1}}x_3(t) - \frac{1}{T_{g1}}x_4(t-h_1) + \frac{1}{T_{g1}}u_1(t) \quad (3)$$

$$\dot{x}_4(t) = k_1B_1x_1(t) + k_1x_5(t) \quad (4)$$

$$\dot{x}_5(t) = 2\pi T_1x_1(t) - 2\pi T_1x_6(t) \quad (5)$$

$$\dot{x}_6(t) = -\frac{1}{T_{p1}}x_6(t) + \frac{K_{p1}}{T_{p1}}x_7(t) + \frac{K_{p1}}{T_{p1}}x_5(t) - \frac{K_{p1}}{T_{p1}}w_2(t) \quad (6)$$

$$\dot{x}_7(t) = -\frac{1}{T_{ch1}}x_7(t) + \frac{1}{T_{ch2}}x_8(t) \quad (7)$$

$$\dot{x}_8(t) = -\frac{1}{R_1T_{g1}}x_6(t) - \frac{1}{T_{g1}}x_8(t) - \frac{1}{T_{g1}}x_9(t-h_2) + \frac{1}{T_{g1}}u_2(t) \quad (8)$$

$$\dot{x}_9(t) = k_1B_1x_6(t) + k_1x_5(t) \quad (9)$$

(1) – (9) can be represented by state space form as

$$\dot{x}(t) = Ax(t) + A_{d1}x(t-h_1) + A_{d2}x(t-h_2) + Bu(t) + Fw(t) \quad (10)$$

$$y(t) = Cx(t) \quad (11)$$

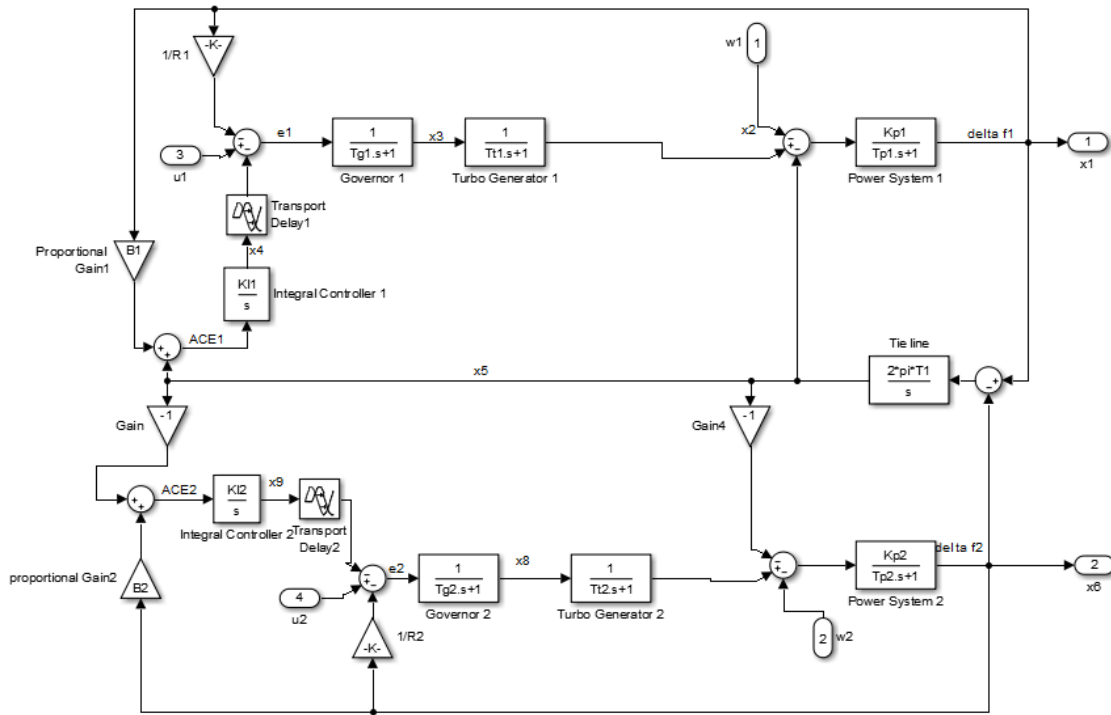


Fig. 1 Two Area Load Frequency Control Model with Communication Delay

Table 1 Symbols used in two area LFC model

| Symbols | Representation |
|---|---|
| $x_1 = \Delta f_1$ | Frequency deviation in area 1 |
| $x_2 = \Delta P_{m1}$ | Mechanical power output of generator in area 1 |
| $x_3 = \Delta P_{v1}$ | Governor valve position in area 1 |
| $x_4 = \Delta E_1$ | Area control error (ACE) in area 1 |
| $x_5 = \Delta P_{12}$ | Tie-line power flow from area 1 to area 2 |
| $x_6 = \Delta f_2$ | Frequency deviation in area 2 |
| $x_7 = \Delta P_{m2}$ | Mechanical power output of generator in area 2 |
| $x_8 = \Delta P_{v2}$ | Governor valve position in area 2 |
| $x_9 = \Delta E_2$ | Area control error (ACE) in area 2 |
| $[u_1, u_2] = [\Delta P_{c1}, \Delta P_{c2}]$ | Change in speed changer setting in area 1 and 2 |
| $[w_1, w_2] = [\Delta P_{d1}, \Delta P_{d2}]$ | Change in load demand |
| B | Proportional gain of PI controller |
| K | Integral gain of PI controller |
| T_g | Integral gain of PI controller |
| T_{ch} | Governor time constant |

| | |
|-------|----------------------------|
| T_p | Power system time constant |
| R | Speed droops |
| T | Stiffness coefficient |

where,

$$A = \begin{bmatrix} -\frac{1}{T_{p1}} & \frac{K_{p1}}{T_{p1}} & 0 & 0 & -\frac{K_{p1}}{T_{p1}} & 0 & 0 & 0 & 0 \\ 0 & -\frac{1}{T_{ch1}} & \frac{1}{T_{ch1}} & 0 & 0 & 0 & 0 & 0 & 0 \\ -\frac{1}{R_1 T_{g1}} & 0 & -\frac{1}{T_{g1}} & 0 & 0 & 0 & 0 & 0 & 0 \\ k_1 B_1 & 0 & 0 & 0 & k_1 & 0 & 0 & 0 & 0 \\ 2\pi T_1 & 0 & 0 & 0 & 0 & -2\pi T_1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & \frac{K_{p2}}{T_{p2}} & -\frac{1}{T_{p2}} & \frac{K_{p2}}{T_{p2}} & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & -\frac{1}{T_{ch2}} & \frac{1}{T_{ch2}} & 0 \\ 0 & 0 & 0 & 0 & 0 & -\frac{1}{R_2 T_{g2}} & 0 & -\frac{1}{T_{g2}} & 0 \\ 0 & 0 & 0 & 0 & k_2 & k_2 B_2 & 0 & 0 & 0 \end{bmatrix}$$

$$A_{d1} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & -\frac{1}{T_{g1}} & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \end{bmatrix}$$

$$A_{d2} = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & -\frac{1}{T_{g2}} \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \end{bmatrix}$$

$$B^T = \begin{bmatrix} 0 & 0 & \frac{1}{T_{g1}} & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & \frac{1}{T_{g2}} & 0 \end{bmatrix}$$

$$F^T = \begin{bmatrix} -\frac{K_{p1}}{T_{p1}} & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & -\frac{K_{p2}}{T_{p2}} & 0 & 0 & 0 \end{bmatrix}$$

$$C = \begin{bmatrix} 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 \end{bmatrix}$$

III. UNIFIED SMITH PREDICTOR

SP and MSP were introduced to deal the time delay systems but due to numerical problems for delay with fast stable eigen values systems USP was proposed by Zhong and Weiss [34]. It does not require matrix exponential computation for fast stable poles. The system can be represented in transfer function as

$$G(s) = P(s)e^{-sh} \tag{12}$$

where, $P(s)$ is delay free part of the two input (w, u) two output (z, y) plant and $\tau > 0$ is the delay in the plant as represented in Fig. 2. $K(s)$ is a stabilizing controller for $G(s)$.

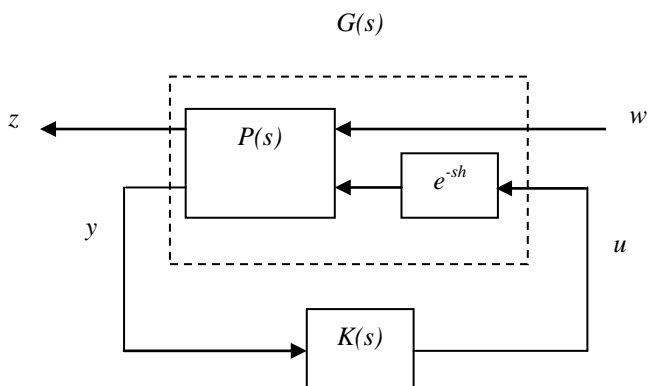


Fig. 2 Control system comprising time delayed plant G and controller K

$$P(s) = \begin{bmatrix} A_1 & \vdots & e^{A_1 h} F & B \\ \dots & \vdots & \dots & \dots \\ C & \vdots & 0 & 0 \\ C e^{-A_1 h} & \vdots & 0 & 0 \end{bmatrix} \tag{13}$$

Where $A_1 = A + A_{d1} + A_{d2}$. In the proposed technique delay free part is decomposed in stable and unstable parts $P(s) = P_s(s) + P_u(s)$. Transformed augmented delay free plant is given as

$$P_{22}(s) = \begin{bmatrix} V^{-1} A_1 V & \vdots & V^{-1} B \\ \dots & \vdots & \dots \\ C V & \vdots & 0 \end{bmatrix} = \begin{bmatrix} A_u & 0 & \vdots & B_u \\ 0 & A_s & \vdots & B_s \\ \dots & \vdots & \dots & \dots \\ C_u & C_s & \vdots & 0 \end{bmatrix} \tag{14}$$

Where, the transformation matrix V is chosen such that $J = V^{-1} A_1 V$ is in the Jordan canonical form. In Matlab, this is obtained by $[V, D] = \text{eig}(A_1)$. The transformation matrix V and the diagonal eigen values matrix D are converted from complex diagonal form to real block diagonal form using $[V, D] = \text{cdf2rdf}(V, D)$. A_u and A_s are the stable and unstable parts of A_1 after transforming into Jordan canonical form. This decomposition is made by spitting the complex plane along with a vertical line $Re(s) = \alpha$ with $\alpha < 0$. The value of α is chosen as the maximum negative real part of poorly damped poles. Then the eigenvalues of A_u are all eigenvalues λ of A_1 with $Re(\lambda) > \alpha$, while A_s has remaining eigen values of A_1 . The generalized plant $\tilde{P}(s)$ shown in Fig. 3 using USP is realized as

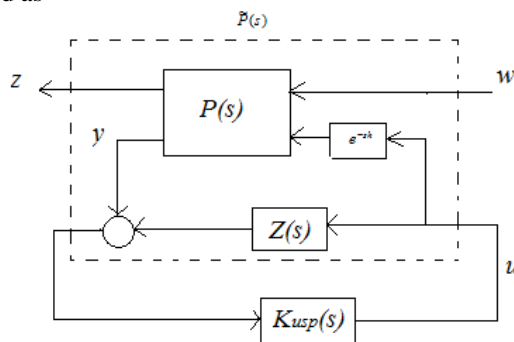


Fig. 3 $\tilde{P}(s)$ consisting of plant $G(s)$ together with USP and controller K has been decomposed into USP $Z(s)$ and compensator $K_{ussp}(s)$, so that $K = K_{ussp}(1 - ZK_{ussp})^{-1}$

$$\tilde{P} = \begin{bmatrix} A_1 & 0 & \vdots & E_h^{-1} F & B \\ 0 & A_s & \vdots & [0 \ e^{A_1 h} - I_s] V^{-1} F & 0 \\ \dots & \vdots & \dots & \dots & \dots \\ C & C V \begin{bmatrix} 0 \\ I_s \end{bmatrix} & \vdots & 0 & 0 \\ C E_h & 0 & \vdots & 0 & 0 \end{bmatrix} \tag{15}$$

$$= \begin{bmatrix} P_a & \vdots & P_f & P_b \\ \dots & \vdots & \dots & \dots \\ P_{c1} & \vdots & 0 & \dots \\ P_{c2} & \vdots & \dots & \dots \end{bmatrix}$$

$$E_h = V \begin{bmatrix} e^{-A_v h} & 0 \\ 0 & I_s \end{bmatrix} V^{-1} \quad (16)$$

And I_s is an identity matrix having same dimensions as A_s .

$$Z(s) = P_{22}^{aug}(s) - P_{22}(s)e^{-sh} \quad (17)$$

Where, $P_{22}^{aug}(s) = \begin{bmatrix} A_1 & \vdots & B \\ \cdots & \vdots & \cdots \\ CE_h & \vdots & 0 \end{bmatrix} \quad (18)$

The performance of controller K_{usp} with generalized plant \tilde{P} is same as performance of controller K with original time delayed plant. The controller K_{usp} is designed as state feedback controller.

$$u(t) = K_{usp}x(t) \quad (19)$$

The transfer function between disturbance $w(t)$ and unmeasured output $z(t)$ is

$$T_{zw} = P_{c1}(sI - (P_a + P_b \cdot K_{usp}))^{-1} P_f \quad (20)$$

Where, 's' is the Laplace operator. The design of H_∞ controller stabilizes the system if the infinity norm of T_{zw} is bounded by γ .

$$\|T_{zw}\|_\infty \leq \gamma, \quad \gamma > 0 \quad (21)$$

IV. H_∞ CONTROLLER DESIGN USING LINEAR MATRIX INEQUALITY

There exists a state feedback controller that stabilizes the system (10) if a symmetric and positive definite matrix $S > 0$, an arbitrary matrix Q and a positive scalar γ satisfies the following LMI:

$$\begin{bmatrix} P_a S + S^T P_a^T + P_b Q + Q^T P_b^T & S P_{c2}^T & P_b \\ P_{c2} S^T & -\gamma I & 0 \\ P_b^T & 0 & -\gamma I \end{bmatrix} < 0 \quad (22)$$

After minimizing γ subjected to the above LMI constraints, the controller is computed by $K = QS^{-1}$.

V. SIMULATION

The parameters of GA used to tune integral controller are:

size of population: 20

number of generation: 100

mutation rate: 0.05

To show the effectiveness of the proposed USP, the simulation results of two area LFC with communication delay are compared with PI controller and LMI control of time delay system [24]. The system shown in Fig. 1 is modeled with two generators represented by a single equivalent generator in area 1 and four generators represented by a single equivalent generator in area 2. The plant parameters in p.u. for the proposed technique and k_1 and k_2 for the comparative purpose are given below:

Area – 1

$$T_{ch1} = 0.3s, T_{g1} = 0.1s, R_1 = 0.05, D_1 = 1, M_1 = 10, k_1 = 0.7,$$

$$\tau_1 = 0.1, T_{p1} = \frac{M_1}{D_1}, K_{p1} = \frac{1}{D_1} \text{ and } B_1 = \frac{2}{R_1} + D_1$$

Area-2

$$T_{ch2} = 0.17s, T_{g2} = 0.4s, R_2 = 0.05, D_2 = 1.5, M_2 = 12, k_2 = 0.69,$$

$$\tau_2 = 0.6, T_{p2} = \frac{M_2}{D_2}, K_{p2} = \frac{1}{D_2} \text{ and } B_2 = \frac{4}{R_2} + D_2$$

The system represented by (10) and (11) with $u(t) = 0$ includes an local PI controller. For 5% change in the load demand $w(t)$ and time delay in both control areas results are shown in Fig. 4, 5 and 6. Fig. 4 shows that time delayed plant is unstable with conventional PI controller with the specified integral gains. Fig. 5 shows the responses with the technique of state feedback controller design by LMI [24] and Fig. 6 with the proposed USP technique. Results show that with the proposed techniques frequency deviation dies out earlier and also overshoots are less. The parameters of the integral controller obtained by optimization are $k_1 = 0.7358$ and $k_2 = 0.7559$. With the proposed technique K_{usp} is given by (23) and with [24] technique controller K is given by (24).

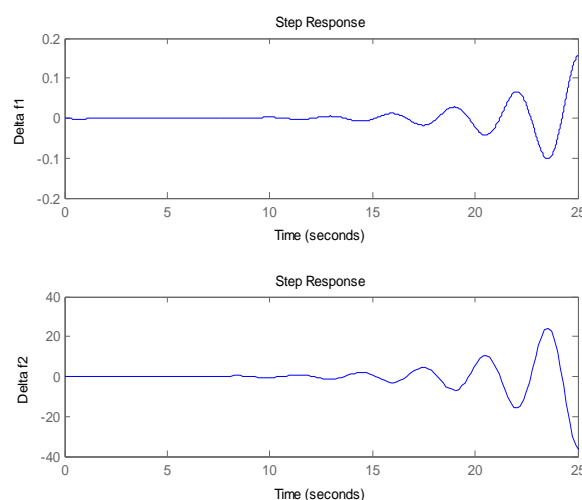


Fig. 4 Frequency deviation using conventional PI controller with 5% load change in area2

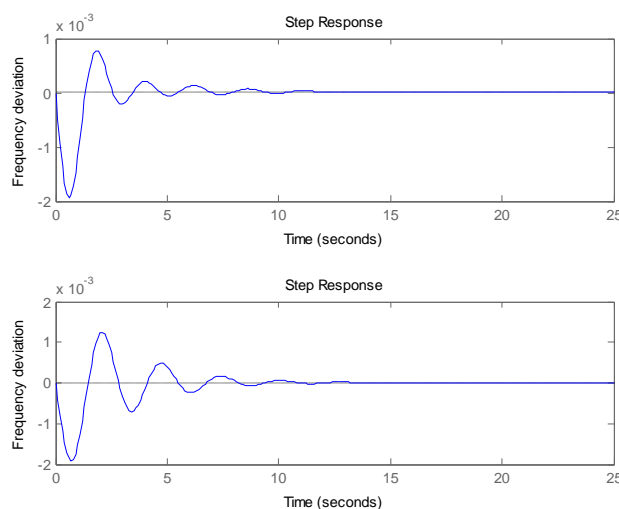


Fig. 5 Frequency deviations using state feedback LMI controller as in [135] with 5% load change in area2

$$K_{usp} = \begin{bmatrix} -13.5971 & -0.8011 & -0.6249 & -0.2269 & 1.2749 & -0.2314 & 0.0850 & 0.0897 & 0.0851 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ -2.0167 & 0.1630 & 0.1912 & 0.1548 & -3.2017 & -85.5454 & -1.5352 & -2.0625 & -1.5925 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \end{bmatrix} \quad (23)$$

$$K = \begin{bmatrix} -16.3022 & -0.3319 & -0.0917 & -1.5967 & -0.1824 & 0.4176 & -0.0224 & -0.1252 & -0.1959 \\ -0.4749 & -0.0208 & -0.0099 & 0.4723 & -0.3316 & -22.6162 & -0.2747 & -0.4027 & -1.1464 \end{bmatrix} \quad (24)$$

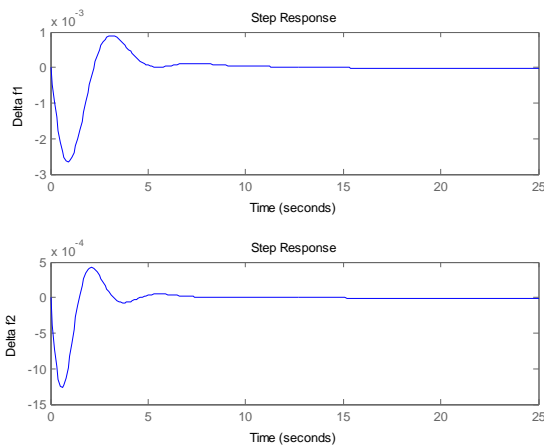


Fig. 6 Frequency deviations using hybrid technique with 5% load change in area2

VI. CONCLUSION

The Unified Smith Predictor is introduced to deal the problems of communication delay in multiple area load frequency control. An LMI based approach is proposed to design H_∞ controller for load disturbance rejection and GA is used to tune the integral parameter of PI controller in the plant. Simulations and comparative study show the validation of the proposed technique. Damping characteristics are comparable to the technique proposed by Yu and Tomsovic [24].

REFERENCES

[1] D. P. Kothari, and I. J. Nagrath, *Modern Power System Analysis*, New Delhi: Tata McGraw-Hill, 2011.

[2] Umesh Kumar Rout, Rabindra Kumar Sahu, and Sidhartha Panda, "Design and analysis of differential evolution algorithm based automatic generation control for interconnected power system," *Ain Shams Engineering Journal*, vol. 4, issue 3, pp. 409-421, 2013.

[3] Sidhartha Panda and Narendra Kumar Yegireddy, "Automatic generation control of multi-area power system using multi-objective non-dominated sorting genetic algorithm-II," *Electrical Power and Energy Systems*, vol. 53, pp. 54-63, 2013.

[4] A. K. Mahalanabis and G. Ray, "Modeling large power systems for efficient load frequency control," *Mathematical Modelling*, vol. 7, pp. 259-272, 1986.

[5] Ertugrul Cam and Ilhan Kocaarslan, "Load frequency control in two area power systems using fuzzy logic controller," *Energy Conversion and Management*, vol. 46, pp. 233-243, 2005.

[6] Wen Tan, "Unified Tuning of PID Load Frequency Controller for Power Systems via IMC," *IEEE Transactions on Power Systems*, vol. 25, no. 1, 2010.

[7] Mohsen Farahani and Soheil Ganjefar, "Solving LFC problem in an interconnected power system using superconducting magnetic energy storage," *Physica C*, vol. 487, pp. 60-66, 2013.

[8] Haluk Gozde and M. Cengiz Taplamacioglu, "Automatic generation control application with craziness based particle swarm optimization in a thermal power system," *Electrical Power and Energy Systems*, vol. 33, pp. 8-16, 2011.

[9] Aleksandamr M. Stankovic, Gilead Tadmor, and Timoor A. Sakharuk, "On Robust Control Analysis and Design for Load Frequency Regulation," *IEEE Transactions on Power Systems*, vol. 13, no. 2, 1998.

[10] Hamed Shabani, Behrooz Vahidi, and Majiid Ebrahimpour, "A robust PID controller based on imperialist competitive algorithm for load-frequency control of power systems," *ISA Transactions*, vol. 52, pp. 88-95, 2013.

[11] Sanjoy Debbarma, Lalit Chandra Saikia, and Nidul Sinha, "AGC of a multi-area thermal system under deregulated environment using a non-integer controller," *Electric Power Systems Research*, vol. 95, pp. 175-183, 2013.

[12] T. C. Yang, Z. T. Ding, and H. Yu, "Decentralised Power System load frequency control beyond the limit of diagonal dominance," *Electrical Power and Energy Systems*, vol. 24, pp. 173-184, 2002.

[13] M. Zribi, M. Al-Rashed, and M. Alrifai, "Adaptive decentralized load frequency control of multi-area power systems," *Electrical Power and Energy Systems*, vol. 27, pp. 575-583, 2005.

[14] K.R. Sudha and R. Vijaya Santhi, "Robust decentralized load frequency control of interconnected power system with Generation Rate Constraint using Type-2 fuzzy approach," *Electrical Power and Energy Systems*, vol. 33, pp. 699-707, 2011.

[15] Muthana T. Alrifai, Mohamed F. Hassan, and Mohamed Zribi, "Decentralized load frequency controller for a multi-area interconnected power system," *Electrical Power and Energy Systems*, vol. 33, pp. 198-209, 2011.

[16] H. Shayeghi and H.A. Shayanfar, "Application of ANN technique based on l-synthesis to load frequency control of interconnected power system," *Electrical Power and Energy Systems*, vol. 28, pp. 503-511, 2011.

[17] Ertugrul cam and Ilhan Kocaarslan, "Application of fuzzy logic for load frequency control of hydroelectrical power plants," *Energy Conversion and Management*, vol. 46, pp. 233-243, 2005.

[18] Saravuth Pothiya, Issarachai Ngamroo, "Optimal fuzzy logic-based PID controller for load-frequency control including superconducting magnetic energy storage units," *Energy Conversion and Management*, vol. 49, pp. 2833-2838, 2008.

[19] K.R. Sudha, R. Vijaya Santhi, "Load Frequency Control of an Interconnected Reheat Thermal system using Type-2 fuzzy system including SMES units," *Electrical Power and Energy Systems*, vol. 43, pp. 1383-1392, 2012.

[20] Reza Farhangi, Mehrdad Boroushaki, and Seyed Hamid Hosseini, "Load-frequency control of interconnected power system using emotional learning-based intelligent controller," *Electrical Power and Energy Systems*, vol. 36, pp. 76-83, 2012.

[21] Goshaidas Ray, Narri Yadaiah, and G. Durga Parsad, "Design of load frequency regulator based on schur approach," *Electric Power Systems Research*, vol. 36, pp. 145-149, 1996.

[22] Wen Tan, "Unified Tuning of PID Load Frequency Controller for Power Systems via IMC," *IEEE Transactions on Power Systems*, vol. 25, no. 1, pp. 341-350, 2010.

[23] Sahaj Saxen and Yogesh V. Hote, "Load Frequency Control in Power Systems via Internal Model Control Scheme and Model-

- Order Reduction,” *IEEE Transactions on Power Systems*, vol. 28, no. 3, pp. 2749-2757, 2013.
- [24] Xiaofeng Yu and Kevin Tomsovic, “Application of Linear Matrix Inequalities for load frequency Control with communication delay,” *IEEE Transactions on Power Systems*, vol. 19, no. 3, pp. 1508-1515, 2004.
- [25] Hassan Bevrani and Takashi Hiyama, “Robust decentralized PI based LFC design for time delay power systems,” *Energy Conversion and Management*, vol. 49, pp. 193-204, 2008.
- [26] L. Jiang, W. Yao, Q. H. Wu, J. Y. Wen, and S. J. Cheng, “Delay-dependent stability for load frequency control with constant and time varying delay,” *IEEE Transactions on Power Systems*, vol. 27, no. 2, pp. 932-941, 2012.
- [27] Rajeeb Dey, Sandip Ghosh, G. Ray, and A. Rakshit, “ H_∞ load frequency control of interconnected power systems with communication delays,” *Electrical Power and Energy Systems*, vol. 42, pp. 672-684, 2012.
- [28] Leonid Mirkin and Qing-Chang Zhong, “2DOF controller parameterization for systems with a single I/O delay”, *IEEE Transaction on Automatic Control*, vol. 48, no. 11, Oct. 2003.
- [29] S. Alcantra, C. Pedret, A. Ibeas, and R. Vilanova’ “General Smith Predictors from an observer-controller perspective”, *18th IEEE International Conference on Control Applications*, pp. 1203-1208, July 2009.
- [30] Qing-Chang Zhong, *Robust Control of Time-delay Systems*, Springer-Verlag London Limited, 2006.
- [31] M R Matausek and A. D. Micic, “On the modified Smith predictor for controlling a process with an integrator and long dead time”, *IEEE Transaction on Automatic Control*, vol. 44, no. 8, pp. 1603-1606, Aug. 1999.
- [32] S. Majhi and D. P. Atherton, “Modified Smith predictor and controller for processes with time delay”, *IEE Proc. Control Theory Application*, vol. 146, no. 5, pp. 359-366, Sep. 1999.
- [33] K. J. Astrom, C. C. Hang and B. C. Lim, “A new Smith predictor for controlling a process with an integrator and long dead-time”, *IEEE Transaction on Automatic Control*, vol. 39, no. 2, pp. 343-345, 1994.
- [34] Q. C. Zhong and G. Weiss, “A unified smith predictor based on the spectral decomposition of the plant,” *International Journal of Control*, vol. 77, no. 15, pp. 1362-1371, 2004.
- [35] Sigurd Skogestad and Ian Postlethwaite, *Multivariable feedback control Analysis and design*, John Wiley and Sons Ltd., 2005.